

COURSE CLASSIFICATION FORM

Course Number/Name		MATH 472 Differential Geometry	
Prepared by		Dr. Abd El-Nasser Ghareeb	
Program Learning Outcomes	Levels* (0,1,2, 3,4,5)	Relevant Activities	Assessment Methods/Metrics
a1. Apply fundamentals and concepts of mathematics.	5	- Lectures - assignments	• 3 Midterm and final exam • Home work
a2. Apply fundamentals and concepts General sciences and Computer skills.	3	- assignments on logic statements	• 1 Midterm and final exam • Home work
a3. Realize Social and ethical values	0		•
b1. Read and construct mathematical arguments and proofs.	4	- Lectures - assignments	Home work
b2. Apply critical thinking skills to solve problems that can be modeled mathematically.	5	- Lectures - assignments - Oral discussion	• 3 Midterm and final exam+ Home work
c1. Work independently and within a team	3	Divided students into groups and using oral discussion with homework	• Home work
c2. Bear responsibility for different situations.	2		• Quizzes
c3. Realize codes of ethics and their importance.	0		
d1. Communicate a depth and breadth of mathematical knowledge, both orally and in writing.	4	- Lectures - assignments - Oral discussion	• 3 Midterm + final exam • Home work • Quizzes
d2. Ability to Organize, connect and communicate mathematical and algorithmic ideas.	4	- Lectures - assignments	• Home work • Quizzes
d3. Critically interpret numerical and graphical data.	3	- assignments on information data and represented data	• Home work • Quizzes
e1. Use computer and its applications as an office tool	3	- assignments on Logical expression	Home work Quizzes

* Please mark (or type) High (5), Medium-High (4), Medium (3), Low-Medium (2), Low (1) or Not At All (0) indicating the level to which you believe, as an instructor, the students have achieved these outcomes in this course.

Course Objectives and Outcomes

Course Number: MATH 472 Course Name: Introduction to Differential Geometry

Prepared by: Dr. Abd El-Nasser Ghareeb

Table 1: Relationship of course objectives/outcomes with PLO and ASIIN Criteria

Course Objectives:	Course Outcomes:	ASIIN	PLO
Have the knowledge of Theory of curves in \mathbb{R} , Regular curves, arc length and reparametrization and Natural parametrization.	Define and recognize the Theory of curves in \mathbb{R} , Regular curves, arc length and reparametrization and Natural parametrization.	a, b, e, m	
	Improve and outline the logical thinking.	b, c	
	Illustrate how to communicating with: Peers, Lecturers and Community.	l, n	
Have the knowledge of Serret-Frenet apparatus, Existence and uniqueness theorem for space curves and Bertrand curves.	Define and recognize the Serret-Frenet apparatus, Existence and uniqueness theorem for space curves and Bertrand curves.	a, b, c, g, m, j	
	Shown the ability of working independently and with groups.	n	
	Illustrate how take up responsibility.	l, n	
Studying the Involutes and evolutes, Local theory of surfaces, Simple surfaces-Coordinate transformations, Tangent vectors & tangent spaces, First and second fundamental forms.	Define and recognize the Involutes and evolutes, Local theory of surfaces, Simple surfaces-Coordinate transformations, Tangent vectors & tangent spaces, First and second fundamental forms.	a, b, f, h	
	ability to write Mathematical equations in a correct mathematical way	a, j, g	
Studying the normal and geodesic curvature.	Define and recognize the normal and geodesic curvature.	a, c, h	
	Appraise how to Use the computer skills and library.	d, h	
	Illustrate how to Search the internet and using software programs to deal with problems	d, h	
Have the knowledge of Weingarten map.	Define and recognize the Weingarten map, Pricipal Gaussian and mean curvatures.	a, e, i	
	interpret how to Know the Weingarten map, Pricipal Gaussian and mean curvatures using the internet	k, h, g	
Studying principal Gaussian and mean curvatures	Define and recognize the principal Gaussian and mean curvatures	a, i	
	interpret how to Know the principal Gaussian	h, k	

Course Objectives and Outcomes

	and mean curvatures using the internet		
Studying the Geodesics- Equations of Gauss and Godazzi-Mainardi.	Define and recognize Geodesics- Equations of Gauss and Godazzi-Mainardi theory	a, i	
	interpret how to Know the Geodesics-Equations of Gauss and Godazzi-Mainardi using the internet	k, h, g	

Table 2: Methods of assessment of course syllabus

Assessment Method	Number/Type				Instructor Assessed	TA/Grader Assessed	Peer/Self Assessed
Homework	5 homework assignments				x		
Mid Terms/Final Exams	2 mid-term; 1 final exam				x		
Quizzes	One biweekly				x		
Individual Projects	1-2 wks	3-4 wks	1/2 sem	Full sem			
Team Projects	1-2 wks	3-4 wks x	1/2 sem	Full sem x	x		x
Lab Assignments							
Computer Assignments							
Computer Tools Used							
Oral Presentations	one				x		x
Written Reports	one				x		
Other	Design project (project binder)				x		

Outcome of ASIIN

a	Graduates have sound mathematical knowledge. They have a profound overview of the contents of fundamental mathematical disciplines and are able to identify their correlations.
b	Graduates are able to recognise mathematics-related problems, assess their solvability and solve them within a specified time frame.
c	Graduates have a basic ability to work in a scientific way. They are in particular able to formulate mathematical hypotheses and have an understanding of how such hypotheses can be verified or falsified using mathematical methods.
d	Graduates can flexibly apply mathematical methods of fundamental component areas of mathematics and are able to transfer the findings obtained to other component areas or applications.
e	Graduates have abstraction ability and are able to recognise analogies and basic patterns
f	Graduates are able to think in a conceptual, analytical and logical manner.
g	Graduates have an extensive comprehension of the significance of mathematical modelling. Are able to create mathematical models for mathematical problems as well as for problems in other areas of science or everyday life, and have a selection of problem solving strategies at their disposal.
h	Graduates can use basic methods of computer-aided simulation, mathematical software and programming to solve mathematical problems
i	Graduates are in a position to solve more extensive mathematical
j	Graduates can classify, recognise, formulate and solve mathematics-related problems
k	Graduates use electronic media competently
l	Graduates can implement lifelong learning strategies. A prerequisite for this is that the students are per-severing and that they have developed persistence.
m	Graduates can recognise, formulate, classify and solve problems in a mathematical context
n	Graduates can communicate, possibly also in a foreign language, and contribute their work effectively in teams

Instructor Course Evaluation Form

The purpose of this evaluation is to collect instructor feedback for improving this course and the Mathematics program. Information will also be used for program accreditation purposes.

I. Program Learning Outcomes Evaluations

Course Number/Name	MATH 472 Introduction to differential Geometry	Semester	First 1434/1435				
Instructor	Dr. Abd El-Nasser Ghareeb						
The course listed above is designed for students to achieve the following outcomes at a Not At All, Low, Low- Medium, Medium, Medium-High or High level.							
Please mark (or type) High (5), Medium-High (4), Medium (3), Low-Medium (2), Low (1) or Not At All (0) indicating the level to which you believe, as an instructor, the students have achieved these outcomes in this course.							
Program Learning Outcomes	Relevant Activities	5	4	3	2	1	0
a1. Apply fundamentals and concepts of mathematics.	Lectures - assignments	5					
a2. Apply fundamentals and concepts General sciences and Computer skills.	assignments on logic statements			3			
a3. Realize Social and ethical values.							0
b1. Read and construct mathematical arguments and proofs.	Lectures - assignments		4				
b2. Apply critical thinking skills to solve problems that can be modeled mathematically.	Lectures - assignments - Oral discussion	5					
c1. Work independently and within a team	Divided students into groups and using oral discussion with homework			3			
c2. Bear responsibility for different situations.					2		
c3. Realize codes of ethics and their importance.							0
d1. Communicate a depth and breadth of mathematical knowledge, both orally and in writing.	Lectures - assignments - Oral discussion		4				
d2. Ability to Organize, connect and communicate mathematical and algorithmic ideas.	Lectures - assignments		4				
d3. Critically interpret numerical and graphical data.	- assignments on information data and represented data			3			
e1. Use computer and its applications as an office tool	- assignments on Logical expression			3			

Instructor Course Evaluation Form

II. Catalog Description , and Course Prerequisites Evaluations:

Based on your experiences in the course, please respond by circling the most appropriate number. Circle N/A for items that are not applicable, or if you have no opinion.

Catalog Description 1434-1435	<ul style="list-style-type: none"> • Theory of curves in R^3-Regular curves, arc length and reparametrization and Natural parametrization. • Serret-Frenet apparatus, Existence and uniqueness theorem for space curves and Bertrand curves. • Involutes and evolutes, Local theory of surfaces, Simple surfaces and Coordinate transformations. • Tangent vectors and tangent spaces, First and second fundamental forms and Normal and geodesic curvature. • Weingarten map, Pricipal Gaussian and mean curvatures and Geodesics. • Equations of Gauss and Godazzi-Mainardi. 					
Course Prerequisites:	PMTH 112 + PMTH127			Circle One (5=Strongly Agree; 1=Strongly disagree)		
2a. Do you believe that the catalog description (above) is accurate for this course?	(5)	4	3	2	1	N/A
2b. Do you believe that the course prerequisites (above) are appropriate for this course?	5	(4)	3	2	1	N/A
2c. If not, please list any prerequisites you believe are not appropriate for this course.						

III. Textbook(s) and/or Lab Manuals (if applicable) Evaluations:

Textbook(s) and/or Lab Manuals (if applicable):	<ul style="list-style-type: none"> • R. Millman & G.Parker, Elements of differential Geometry. • Manfredo Do Carmo: Differential Geometry of Curves and Surfaces, Birkhauser, Boston, 1992. • Michael Spivak: Introduction to differential Geometry, Vol. 1, 3 Edition, Addison-Wesley, 1965. 					
	Circle One (5=Strongly Agree; 1=Strongly Disagree)					
3a. In general, do you believe this to be an appropriate textbook for this course?	(5)	4	3	2	1	N/A
3b. Was the organization of the textbook appropriate for this course?	5	(4)	3	2	1	N/A
3c. Was the level of the textbook appropriate for this course?	5	(4)	3	2	1	N/A

IV. Computer usage (if applicable) Evaluations:

Instructor Course Evaluation Form

Computer usage (if applicable):	Circle One (5=Strongly Agree; 1=Strongly Disagree)					
5a. Was the use of computer well integrated with the course?	5	4	(3)	2	1	N/A
5b. Was the computer lab adequately equipped with well-maintained and updated computers?	5	4	3	2	(1)	N/A
5c. Was the computer lab equipped with sufficient number of computers?	5	5	5	2	1	(N/A)
5d. Were the special software packages (MATLAB, SPSS, C+, FORTRAN, etc) available and accessible?	5	4	3	2	1	(N/A)
5e. Was adequate technical support available when needed?	5	4	3	2	1	(N/A)

Solution Manual

Question 1:

[10 marks]

- (1) Find the length of the circular helix $r(u) = a \cos u i + a \sin u j + c u k$,
 $-\infty < u < \infty$, from $(a, 0, 0)$ to $(a, 0, 2\pi c)$.

Solution. Clearly the limits of u are from $cu = 0$ to $cu = 2\pi c$ i.e. from
 $u = 0$ to $u = 2\pi$.

The equation of the circular helix is

$$r(u) = a \cos u i + a \sin u j + cu k$$

$$\therefore \dot{r} = \frac{dr}{du} = -a \sin u i + a \cos u j + c k$$

$$|\dot{r}(u)| = (a^2 \sin^2 u + a^2 \cos^2 u + c^2)^{1/2} = (a^2 + c^2)^{1/2}$$

Therefore the length of the circular helix from $(a, 0, 0)$ to $(a, 0, 2\pi c)$ is

$$= \int_0^{2\pi} |\dot{r}(u)| du = \int_0^{2\pi} \sqrt{a^2 + c^2} du$$

$$= \sqrt{a^2 + c^2} [u]_0^{2\pi} = 2\pi \sqrt{a^2 + c^2}.$$

Again suppose s denotes the arc length from the point where $u = 0$ to any point u , we have

$$s = \int_0^u |\dot{r}(u)| du$$

$$= \int_0^u \sqrt{a^2 + c^2} du = (a^2 + c^2)^{1/2} [u]_0^u = u (a^2 + c^2)^{1/2}$$

$$\therefore u = \frac{s}{(a^2 + c^2)^{1/2}}$$

(2) Show that the Serret-Frenet formulae can be written in the form $t' = w \times t$,
 $n' = w \times n$, $b' = w \times b$.

Solution. w is called Darboux vector of the curve.

We have from Frenet's formulae

$$t' = \kappa n = \tau t \times t + \kappa b \times t \quad [\because t \times t = 0, b \times t = n]$$
$$= (\tau t + \kappa b) \times t$$

$$= (\tau t + \kappa b) \times n = w \times n,$$
$$b' = -\tau n = \tau(t \times b) + \kappa(b \times b) \quad [\because b \times b = 0, -n = t \times b]$$
$$= (\tau t + \kappa b) \times b = w \times b \quad \text{where } w = \tau t + \kappa b \text{ from (1).}$$

Question 2:

[10 marks]

(1) Prove that a curve is uniquely determined except as to position in space when its curvature and torsion are given functions of its arc length (Uniqueness Theorem for space curves).

Proof : If possible let there be two curves C and C_1 having equal curvature κ and equal torsion τ for the same values of s . Let the suffix unity be used for quantities belonging to C_1 .

Now if C_1 is moved (without deformation) so that the two points on C and C_1 corresponding to same value of s coincide. We have

$$\frac{d}{ds} (t \cdot t_1) = t \cdot \kappa_1 n_1 + \kappa n \cdot t_1 \quad \dots(1)$$

or $\frac{d}{ds} (t \cdot t_1) = t \cdot \kappa n_1 + \kappa n \cdot t_1 \quad [\because \kappa_1 = \kappa \text{ given}] \quad \dots(1)$

$$\frac{d}{ds} (n \cdot n_1) = n \cdot (\tau b_1 - \kappa t_1) + (\tau b - \kappa t) \cdot n_1 \quad \dots(2)$$

$$\frac{d}{ds} (b \cdot b_1) = b \cdot (-\tau n_1) + (-\kappa n) \cdot b_1 \quad \dots(3)$$

Adding equations (1), (2) and (3), we get

$$\frac{d}{ds} (t \cdot t_1 + n \cdot n_1 + b \cdot b_1) = 0,$$

which on integrating gives

$$t \cdot t_1 + n \cdot n_1 + b \cdot b_1 = \text{constant} \quad \dots(4)$$

If C_1 is moved in such a manner that at $s = 0$ the two triads (t, n, b) and (t_1, n_1, b_1) coincide. Then at that point $t = t_1, n = n_1, b = b_1$ and then the value of constant in eqn. (4) becomes 3.

Thus $t \cdot t_1 + n \cdot n_1 + b \cdot b_1 = 3$.

But the sum of three cosines is equal to 3 if each angle is zero or is an integral multiple of 2π .

Thus for each pair of corresponding points

$$t = t_1, n = n_1, b = b_1$$

Also $t = t_1$ gives $r' = r_1'$

i.e. $\frac{d}{ds} (r - r_1) = 0, \quad \text{i.e.} \quad r - r_1 = a \text{ (const. vector)}$

but as $s = 0, r - r_1 = 0$ or $r = r_1$ at all corresponding points and hence the two curves coincide or the two curves are congruent. This theorem is called *uniqueness theorem*.

(2) If a curve lies on a sphere, show that ρ and σ are related by $\frac{d}{ds}(\sigma\rho') + \frac{\rho}{\sigma} = 0$.

Solution. Necessary condition : Let the curve lie on a sphere then to prove the given condition. Now the sphere will be osculating sphere for every point. The radius R of the osculating sphere is given by

$$R^2 = \rho^2 + \sigma^2 \rho'^2 \quad \dots(1)$$

Differentiating w.r.t. 's', we get

$$0 = \rho\rho' + \sigma^2\rho'\rho'' + \sigma\sigma'\rho'^2$$

Dividing by $\rho'\sigma$, we get

$$0 = \frac{\rho}{\sigma} + \rho''\sigma + \sigma'\rho'$$

$$0 = \frac{\rho}{\sigma} + \frac{d}{ds}(\sigma\rho') \quad \text{or} \quad \frac{\rho}{\sigma} + \frac{d}{ds}\left(\frac{\rho'}{\tau}\right) = 0$$

Question 3:

[10 marks]

- (1) Find the plane that has three point contact at the origin with the curve
 $x = u^4 - 1, y = u^3 - 1, z = u^2 - 1$.

Solution. Let the equation of the plane at the origin be

$$lx + my + nz = 0 \quad \dots(1)$$

The equations of the given curve are

$$x = u^4 - 1, y = u^3 - 1, z = u^2 - 1 \quad \dots(2)$$

At the origin, $u^4 - 1 = 0, u^3 - 1 = 0, u^2 - 1 = 0$

Clearly $u = 1$ satisfies all of these three equations.

\therefore At the origin, we have $u = 1$.

Now the points of intersection of the curve (2) and the surface (1) are given by the zeroes of the function

$$F(u) = l(u^4 - 1) + m(u^3 - 1) + n(u^2 - 1)$$

or $F(u) = lu^4 + mu^3 + nu^2 - l - m - n \quad \dots(3)$

For three point contact, we should have $F'(u) = 0$,

$$F''(u) = 0 \quad \text{where } F'(u) = dF/du.$$

Now $F'(u) = 4lu^3 + 3mu^2 + 2nu = 0 \quad \dots(4)$

and $F''(u) = 12lu^2 + 6mu + 2n = 0 \quad \dots(5)$

At the origin i.e. at $u = 1$, the equation (4) and (5) becomes

$$4l + 3m + 2n = 0, \quad 12l + 6m + 2n = 0$$

Solving, $m = -(8/3)l, n = 2l$

Putting values in (1), the equation of the required plane is given by

$$lx - (8/3)ly + 2lz = 0 \quad \text{or } 3x - 8y + 6z = 0$$

(2) Calculate the curvature and the torsion of the cubic curve given by $r = (u, u^2, u^3)$.

Solution. Here $r = (u, u^2, u^3)$

$$\therefore \dot{r} = (1, 2u, 3u^2); \ddot{r} = (0, 2, 6u), \ddot{\ddot{r}} = (0, 0, 6)$$

$$\therefore \dot{r} \times \ddot{r} = (\mathbf{i} + 2u\mathbf{j} + 3u^2\mathbf{k}) \times (2\mathbf{j} + 6u\mathbf{k})$$

$$= 2\mathbf{k} - 6u\mathbf{j} + 12u^2\mathbf{i} - 6u^2\mathbf{i}$$

$$= 6u^2\mathbf{i} - 6u\mathbf{j} + 2\mathbf{k} = (6u^2, -6u, 2)$$

$$= 2(3u^2, -3u, 1)$$

$$\therefore |\dot{r} \times \ddot{r}| = 2(9u^4 + 9u^2 + 1)^{1/2}$$

Also $|\dot{r}, \ddot{r}, \ddot{\ddot{r}}| = \dot{r} \times \ddot{r} \cdot \ddot{\ddot{r}} = 2(3u^2, -3u, 1) \cdot (0, 0, 6)$

$$= 2(0 + 0 + 6) = 12$$

$$\therefore \kappa = \frac{|\dot{r} \times \ddot{r}|}{|\dot{r}|^3} = \frac{2(9u^4 + 9u^2 + 1)^{1/2}}{(1 + 4u^2 + 9u^4)^{3/2}} \quad \dots(1)$$

and $\tau = \frac{[\dot{r}, \ddot{r}, \ddot{\ddot{r}}]}{|\dot{r} \times \ddot{r}|^2} = \frac{12}{4(9u^4 + 9u^2 + 1)}$

or $\tau = \frac{3}{(9u^4 + 9u^2 + 1)} \quad \dots(2)$

Question 4:

[10 marks]

(1) If C is the original curve and C_1 is the locus of the center of the circle of curvature. Prove that the tangent to C_1 lies in the normal plane at C .

Proof : Let unity as suffix be used to distinguish quantities belonging to C_1 .

(i) If c is the position vector of the centre of circle of curvature of C we have

$$c = r + \rho n.$$

Differentiating w.r.t. ' s_1 '

$$\frac{dc}{ds_1} = t_1 = (r + \rho n)' \frac{ds}{ds_1} \quad \text{or} \quad t_1 = (r' + \rho n' + \rho' n) \left(\frac{ds}{ds_1} \right)$$

$$\text{or} \quad t_1 = [t + \rho' n + \rho (\tau b - \kappa t)] \left(\frac{ds}{ds_1} \right) \quad [\because n' = \tau b - \kappa t]$$

$$\text{or} \quad t_1 = (\rho' n + \rho \tau b) \left(\frac{ds}{ds_1} \right) \quad [\because \rho \kappa = 1] \quad \dots(1)$$

This relation shows that the tangent to C_1 lies in the plane containing n and b i.e. normal plane to C and is inclined to n at an angle α given by

$$\tan \alpha = \frac{\rho \tau}{\rho'} = \frac{\rho}{\sigma \rho'}$$

(ii) If κ is constant i.e. ρ is constant, then $\rho' = 0$
 \therefore from equation (1) we get

$$t_1 = \rho \tau b \frac{ds}{ds_1} \quad \dots(2)$$

Taking module of both sides, we get

$$1 = \rho \tau \frac{ds}{ds_1} \quad \text{i.e.} \quad \frac{ds}{ds_1} = \frac{1}{\rho \tau} \quad \dots(3)$$

from (2) and (3) $t_1 = b$

Differentiating w.r.t. ' s_1 '

$$\frac{dt_1}{ds_1} = b' \frac{ds}{ds_1} \quad \text{or} \quad \frac{dt_1}{ds_1} = \kappa_1 n_1 = -\tau n \frac{ds}{ds_1}$$

$$\text{or} \quad \kappa_1 n_1 = -\tau n \frac{1}{\rho \tau} \quad \text{or} \quad \kappa_1 n_1 = -\kappa n. \quad \dots(4)$$

This clearly shows that n_1 is parallel to n and choosing the direction of n_1 opposite to that of n such that $n_1 = -n$. Therefore from (4); $\kappa_1 = \kappa$.



(2) For a spherical curve, prove that $\rho + \frac{d^2\rho}{d\psi^2} = 0$.

Solution. A spherical curve means a curve lying on a sphere. We have proved in Ex. 1 (a) above that for a spherical curve,

$$\begin{aligned} & \frac{d}{ds}(\sigma\rho') + \frac{\rho}{\sigma} = 0 \\ \text{or} & \frac{d}{ds} \left(\frac{ds}{d\psi} \frac{d\rho}{ds} \right) + \frac{\rho}{\sigma} = 0 \\ \text{or} & \frac{d}{d\psi} \left(\frac{d\rho}{d\psi} \right) \frac{d\psi}{ds} + \rho \cdot \frac{d\psi}{ds} = 0 \\ \text{or} & \frac{d^2\rho}{d\psi^2} + \rho = 0. \quad \left[\text{on dividing by } \frac{d\psi}{ds} \right] \end{aligned} \quad \left[\because \sigma = \frac{1}{\tau} = \frac{ds}{d\psi} \right]$$

Proved

أنتهت نموذج الإجابة

جامعة المجمعة

كلية العلوم بالزلفي

نموذج تحويل العلامات النهائي من منوي الى احرف لطلبة البكالوريوس

١٤٣٥/١٤٣٤

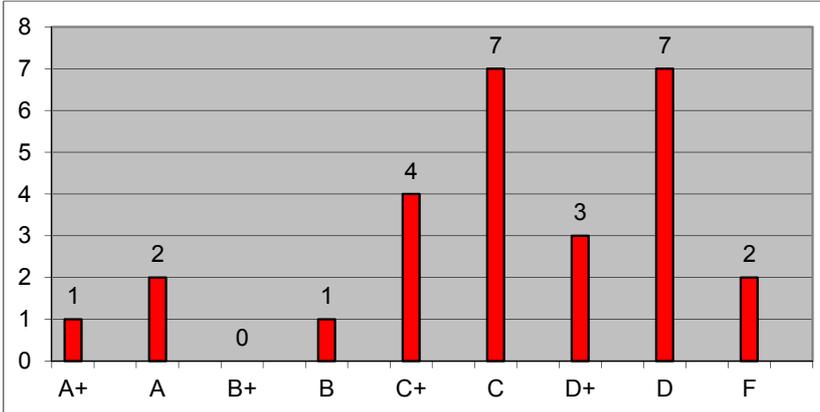
الثاني

الفصل الدراسي

MATH 472	رقم المادة	قسم الرياضيات	القسم
مقدمة في الهندسة التفاضلية	اسم المادة	د. عبدالناصر غريب عبدالرحمن	استاذ المادة
0	عدد الطلبة الغائبين عن النهائي	27	عدد الطلبة المسجلين
2	عدد الطلبة الراسبين	25	عدد الطلبة الناجحين
F	العلامة الدنيا	2.85	متوسط الدرجات
92.59%	نسبة النجاح	A+	الدرجة العليا

Average	Percentage	SUM	Count	TO	From	Average
	3.7037037	5	1	100	95	A+
	7.40740741	9.5	2	94	90	A
	0	0	0	89	85	B+
	3.7037037	4	1	84	80	B
	14.8148148	14	4	79	75	C+
	25.9259259	21	7	74	70	C
	11.1111111	7.5	3	69	65	D+
	25.9259259	14	7	64	60	D
	7.40740741	2	2	59	0	F
2.85	100	77	27	Total Students		

الرقم	العلامة	التقدير
1	D	61
2	D	63
3	F	47
4	D	60
5	C	72
6	D+	68
7	F	40
8	D+	66
9	C	70
10	D	62
11	C	72
12	A	91
13	C+	75
14	D	60
15	C	72
16	B	81
17	D+	65
18	A+	96
19	C	73
20	A	90
21	C+	75
22	C+	77
23	C	71
24	C+	77
25	C	72
26	D	60
27	D	60



Student Course Evaluation Form

The purpose of this evaluation is to collect instructor feedback for improving this course and the Mathematics program. Information will also be used for program accreditation purposes.

I. Program Learning Outcomes Evaluations

Course Number/Name	MATH 472 Introduction to Differential Geometry	Semester	Second 1434/1435					
Instructor	Dr. Abd El-Nasser Ghareeb							
Student Name	-----	Student ID	-----					
The course listed above is designed for students to achieve the following outcomes at a Not At All, Low, Low- Medium, Medium, Medium-High or High level.								
Please mark (or type) High (5), Medium-High (4), Medium (3), Low-Medium (2), Low (1) or Not At All (0) indicating the level to which you believe, as an instructor, the students have achieved these outcomes in this course.								
Program Learning Outcomes			5	4	3	2	1	0
a1. Apply fundamentals and concepts of mathematics.								
a2. Apply fundamentals and concepts General sciences and Computer skills.								
a3. Realize Social and ethical values.								
b1. Read and construct mathematical arguments and proofs.								
b2. Apply critical thinking skills to solve problems that can be modeled mathematically.								
c1. Work independently and within a team								
c2. Bear responsibility for different situations.								
c3. Realize codes of ethics and their importance.								
d1. Communicate a depth and breadth of mathematical knowledge, both orally and in writing.								
d2. Ability to Organize, connect and communicate mathematical and algorithmic ideas.								
d3. Critically interpret numerical and graphical data.								
e1. Use computer and its applications as an office tool								

Student Course Evaluation Form

II. Catalog Description , and Course Prerequisites Evaluations:

Based on your experiences in the course, please respond by circling the most appropriate number. Circle N/A for items that are not applicable, or if you have no opinion.

Catalog Description 1434-1435	<ul style="list-style-type: none"> • Theory of curves in R^3-Regular curves, arc length and reparametrization and Natural parametrization. • Serret-Frenet apparatus, Existence and uniqueness theorem for space curves and Bertrand curves. • Involutes and evolutes, Local theory of surfaces, Simple surfaces and Coordinate transformations. • Tangent vectors and tangent spaces, First and second fundamental forms and Normal and geodesic curvature. • Weingarten map, Pricipal Gaussian and mean curvatures and Geodesics. • Equations of Gauss and Godazzi-Mainardi. 						
Course Prerequisites:	PMTH 112 + PMTH127	Circle One (5=Strongly Agree; 1=Strongly disagree)					
2a. Do you believe that the catalog description (above) is accurate for this course?		5	4	3	2	1	N/A
2b. Do you believe that the course prerequisites (above) are appropriate for this course?		5	4	3	2	1	N/A
2c. If not, please list any prerequisites you believe are not appropriate for this course.							

III. Textbook(s) and/or Lab Manuals (if applicable) Evaluations:

Textbook(s) and/or Lab Manuals (if applicable):	<ul style="list-style-type: none"> • R. Millman & G.Parker, Elements of differential Geometry. • Manfredo Do Carmo: Differential Geometry of Curves and Surfaces, Birkhauser, Boston, 1992. • Michael Spivak: Introduction to differential Geometry, Vol. 1, 3 Edition, Addison-Wesley, 1965. 	Circle One (5=Strongly Agree; 1=Strongly Disagree)					
3a. In general, do you believe this to be an appropriate textbook for this course?		5	4	3	2	1	N/A
3b. Was the organization of the textbook appropriate for this course?		5	4	3	2	1	N/A
3c. Was the level of the textbook appropriate for this course?		5	4	3	2	1	N/A

IV. Computer usage (if applicable) Evaluations:

Computer usage (if applicable):		Circle One (5=Strongly Agree; 1=Strongly Disagree)					
4a. Was the use of computer well integrated with the course?		5	4	3	2	1	N/A
4b. Was the computer lab adequately equipped with well-		5	4	3	2	1	N/A

Student Course Evaluation Form

maintained and updated computers?						
4c. Was the computer lab equipped with sufficient number of computers?	5	5	5	2	1	N/A
4d. Were the special software packages (MATLAB, SPSS, C+, FORTRAN, etc) available and accessible?	5	4	3	2	1	N/A
4e. Was adequate technical support available when needed?	5	4	3	2	1	N/A